List of Publications of I. J. Schoenberg

The numbering corresponds to the listing in the Schoenberg *Selecta* (see last item below). In particular, the unnumbered items failed to appear in that listing.

[1] I. J. Schoenberg (1929), "Über total monotone Folgen mit stetiger Belegungsfunktion", *Math. Z.* **30**, 761–767.

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